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### Characterization of cracks in cement-based materials by microscopy and image analysis

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#### **Outline**



- The problem: characterizing the damage produced by the Alkali-Aggregate Reaction
- Types of microscopy
- Crack segmentation by clustering
- A few conclusions
- Suggested bibliography

#### **Foreword**



- All the image processing and analysis presented herein was done with Fiji
- Fiji is a version of ImageJ with lots of additional plugins already pre-installed <a href="http://fiji.sc/wiki/index.php/Main\_Page">http://fiji.sc/wiki/index.php/Main\_Page</a>
- ImageJ is a software suite for image processing and analysis written in Java
  - developed and maintained at the National Institutes of Health (NIH), USA
  - > a standard in the biomedical sciences
  - lots of plugins contributed by researchers and developers around the world

http://imagej.nih.gov/ij/

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cement-based materials (mortars, concrete, cement-based composites)



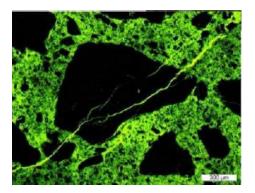
- cement-based materials (mortars, concrete, cement-based composites)
- Alkali-Aggregate Reaction (AAR):



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  - ▶ hygroscopic amorphous reaction products ⇒ expansion ⇒ cracking



optical micrograph, obtained with UV-light, of a polished cross section from a concrete sample affected by the AAR. The sample was impregnated with a resin doped with a fluorescent dye. Courtesy of A. Leemann.



- cement-based materials (mortars, concrete, cement-based composites)
- Alkali-Aggregate Reaction (AAR):
  - > set of intrinsic chemical reactions between the alkali of the pore solution and the aggregates
  - ➤ hygroscopic amorphous reaction products ⇒ expansion ⇒ cracking
  - particularly severe with silica-rich aggregates
  - ▶ kinetics on the scale of years/decades ⇒ slow degradation of concrete infrastructure, especially old ones



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- Microscopy and quantitative image analysis of cracking
  - ➤ how does the porosity evolve in time due to cracking? ⇒ crack segmentation

#### **Outline**

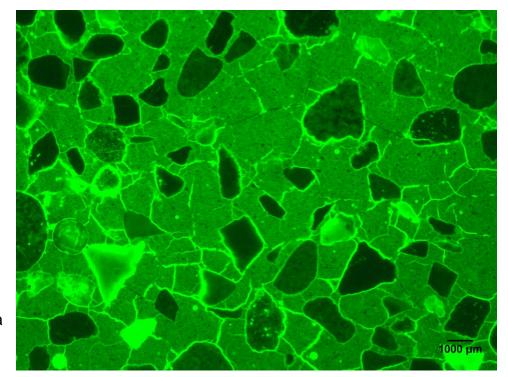


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## Types of used microscopies: UV-based optical microscopy of cross-sections



- impregnation under vacuum with a resin ⇒ fix the microstructure
- the resin is doped with a fluorescent dye
- optical microscopy using UV lamp as illuminating source
- larger porous regions ⇒ higher resin density ⇒ higher pixel value in the image

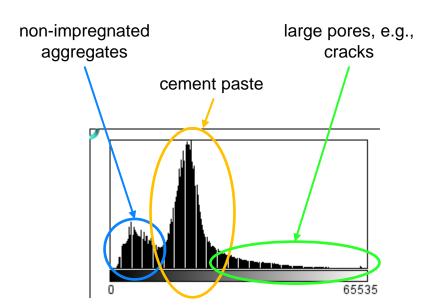


Mortar sample subjected to a thermal conditioning at 650°C for 3 hours.

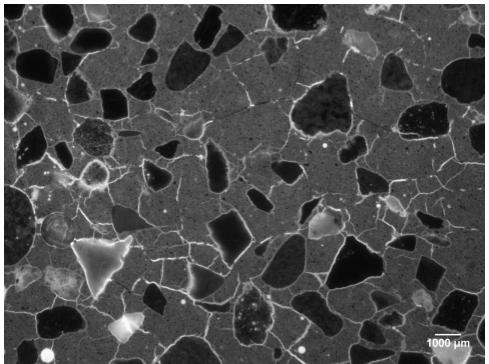
## Types of used microscopies: UV-based optical microscopy of cross-sections



- different material phases/features have different ranges of pixel values
- segmentation by thresholding (see talk of Hannelore Derluyn)



Pixel value histogram for the 16-bit grey image

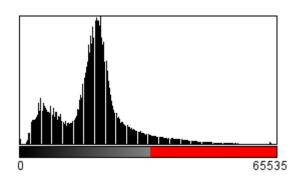


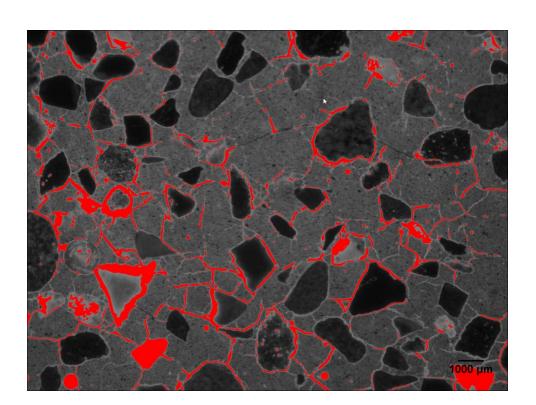
16-bit grey image obtained by conversion from the original RGB image

## Types of used microscopies: UV-based optical microscopy of cross-sections



- example of automatic choice of the threshold (pixels with value above the threshold are colored as red)
- global threshold chosen by the a method based upon the maximization of the a-posteriori entropy of the pixel value histogram\*





<sup>\*</sup> J.N. Kapur *et al.*, Comp. Vis. Graph. Image Proc. 29, 273 – 285 (1985)

# Types of used microscopies: X-ray Tomographic Microscopy



- completely non-destructive
- 3D information

Single cross-sectional CT slice (image)

Synchrotron radiation-based X-ray Tomographic Microscopy.

Edge-enhancement mode ( $D_{S-D} = 40 \text{ mm}$ )

Wide Field-Of-View configuration (4020 x 4020 pixels)

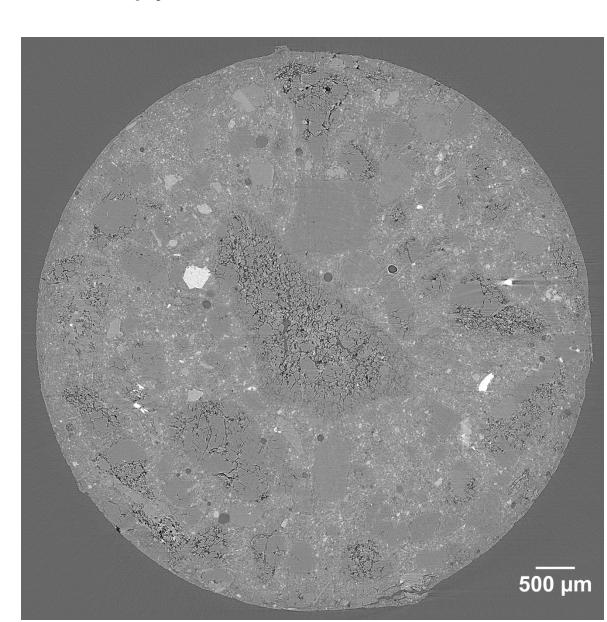
Voxel lateral size =  $1.85 \mu m$ .

Measurements at the TOMCAT beamline, SLS, PSI.

Cylindrical mortar sample, 7 mm ø

Highly reactive aggregates.

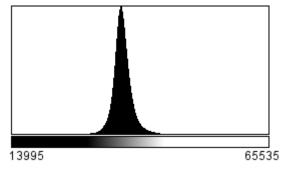
AAR acceleration protocol followed for 8 weeks



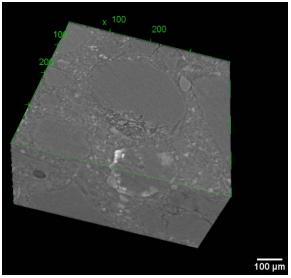
# Types of used microscopies: X-ray Tomographic Microscopy

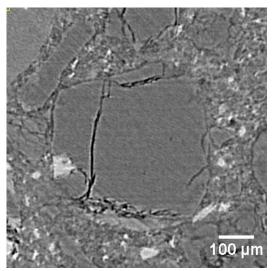


- focus on a smaller ROI, 400 x 400 x 201 voxels
- unimodal voxel value histogram, difficult to define a threshold level



complicated pore system: cracks + aggregate dissolution pores





slice # 98 of 201

#### **Outline**



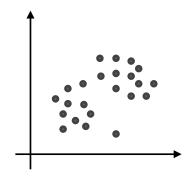
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 data clustering for pattern recognition, machine learning, data compression and data mining

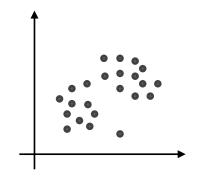


- data clustering for pattern recognition, machine learning, data compression and data mining
- dataset = set of points  $\vec{x}_i$ , i = 1, ..., M, in a Euclidean vector space  $R^n$  (the feature space)



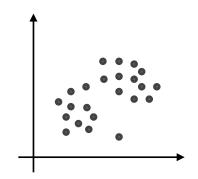


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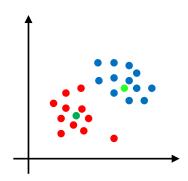




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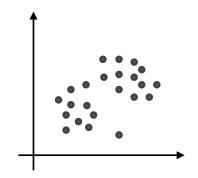


• **clustering**  $\Leftrightarrow$  partitioning the set of points in K subsets (clusters), finding K **reference points**,  $\vec{y}_l$ , l = 1, ... K, representatives of the subsets

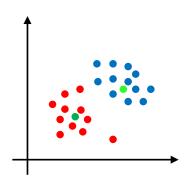




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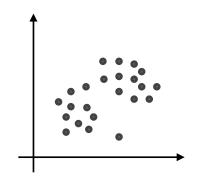


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  - each point  $\vec{x}_{j,l}$ ,  $j=1,...,M_l$ , belonging to the *I*-th cluster, is closer to the *I*-th reference point than to any other reference point, according to a certain distance metric function

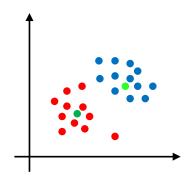




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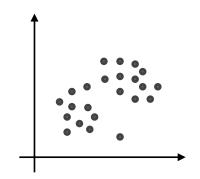


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  - starting from initial guesses, iteratively find K reference points  $\vec{y}_l$ , l=1,...K, and corresponding clusters, that decrease a global (i.e., for all the clusters) distance metric function till finding its minimum

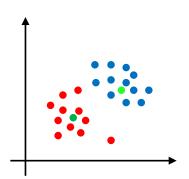




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  - ➤ segmented image ⇔ pixel/voxels belonging to the I-th cluster are assigned the value of the respective I-th reference point

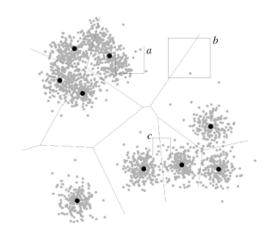




• K-means clustering: a class of data clustering algorithms



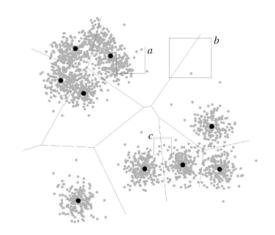
- **K-means clustering**: a class of data clustering algorithms
  - (1) at each iteration, create the clusters by the **Voronoi partitioning** of the feature space based upon the current reference points



Adapted from Fig. 3 of T. Kanungo et al., IEEE Trans. Patt. Anal. Mach. Intell. 24 (7), 881 – 892 (2002)



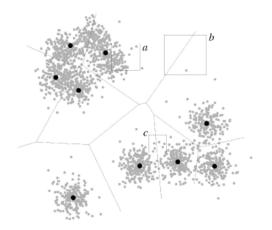
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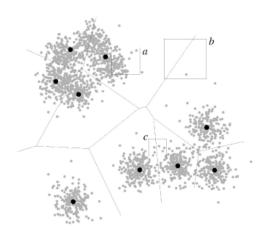
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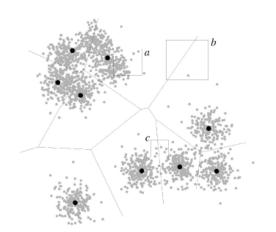


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K-means clustering: ``the devil is in the details´´



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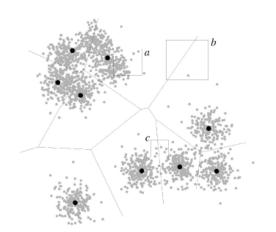


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- **K-means clustering**: ``the devil is in the details´´
  - different algorithms have different computational efficiency and overload



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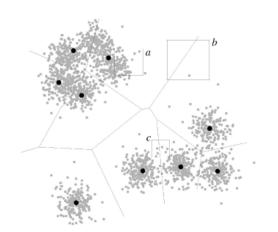


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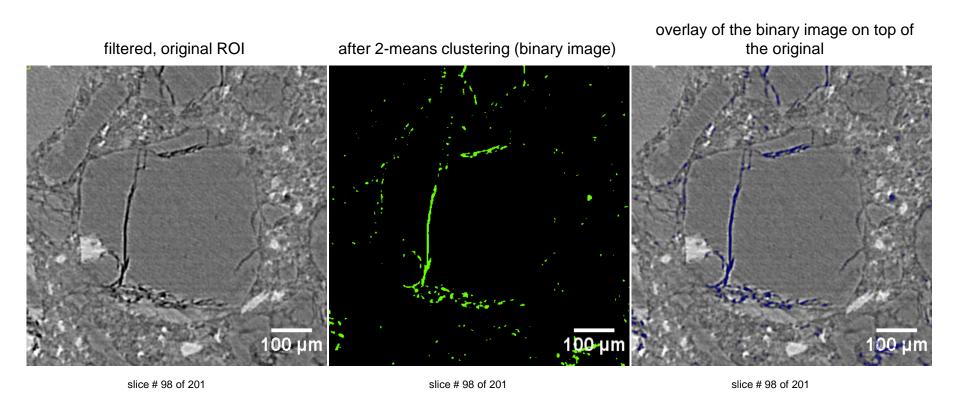
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- **K-means clustering**: ``the devil is in the details´´
  - different algorithms have different computational efficiency and overload
  - belong to the class of Centroidal Voronoi Tessellations algorithms
  - > no parameters involved, except for K (number of clusters) and total number of iterations

### Crack segmentation by 2-means clustering



- assumed *K*=2 clusters (pores and solid phases)
- 2-means clustering of the entire 3D ROI (volume)
- feature space dimensionality n = 1 (only voxel grey values used)



green = pore space voxels black = solid phase voxels blue = voxels classified as belonging to the pore space

#### Crack segmentation by 2-means clustering

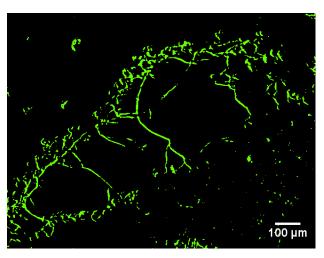


- another 3D ROI, 656 x 500 x 400 voxels
- same processing as for the previous ROI

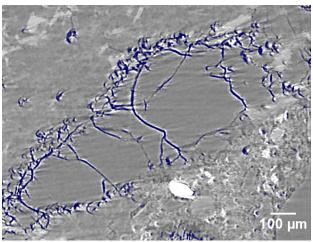
filtered, original ROI

100 μm

after 2-means clustering (binary image)



overlay of the binary image on top of the original



slice # 179 of 400 slice # 179 of 400 slice # 179 of 400

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#### A few conclusions



- segmentation by 2-means clustering worked very well on my 3D images
  - > not perfect, but much more efficient than other algorithms, e.g., manual thresholding
  - > it may not work as well on your images: the best segmentation algorithm type is image-dependent!
- I have segmented solid phases and pores: how about cracks only?
  - use morphological operators for ``closing´´ small, spherical-like pores with volume smaller than a certain threshold
- only 1D feature space for the data clustering!

Better results achievable by choosing additional feature variables for the pore space voxels, e.g., spatial coordinates and/or local morphological properties of the image itself

#### Suggested bibliography



#### Data clustering and image segmentation

- V. Farber, Clustering and the Continuous k-Means Algorithm, Los Alamos Science 22, 138 144 (1994)
- A.K. Jain, M.N. Murty, P.J. Flynn, *Data Clustering: A Review*, ACM Comp. Surveys 31 (3), 264 323 (1999)
- Q. Du, V. Farber, M. Gunzburger, Centroidal Voronoi Tessellations: Applications and Algorithms, SIAM Rev. 41 (4), 637 676 (1999)
- T. Kanugo et al., An Efficient k-Means Clustering Algorithm: Analysis and Implementation, IEEE Trans. Patt. Anal. Mach. Intell. 24 (7), 881 892 (2002)